PO12Q - Introduction to Quantitative Political Analysis II: Week 7 – Solutions to Additional Exercises



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1 Load Packages and data

Before starting, we need to load libraries and install packages if not already installed. In these exercises we will be using the following packages:

- 1. haven
- 2. ggplot2
- 3. stargazer

Set working directory and load the data. The file is on Moodle. It's called simd.csv and it's the "Scottish Index of Multiple Deprivation". More details here: https://www.gov.scot/collections/scottish-index-of-multiple-deprivation-2020/

Hint: Remember that the WD is the folder where you stored the data set and where all the outputs will be saved

Hint2: Note, the data is a .csv file

```
setwd("")
library(tidyverse)
library(haven)
library(stargazer)
sim <- read.csv("simd.csv", stringsAsFactors = T)</pre>
```

2 Inspect your data

Here you can use several basic functions. The dataset does not contain too many variables, so you can start by using names (), str(), etc.

```
names(sim)
## [1] "data_zone" "intermediate_zone"
```

##	[3]	"council_area"	"health_board"
##	[5]	"pct_school_attend"	"alcohol"
##	[7]	"population"	"working_population"
##	[9]	"pct_income_deprived "	"pct_employment_deprived"
##	[11]	"illness "	"mortality"
##	[13]	"drugs"	"pct_depress"
##	[15]	"pct_low_bw"	"hosp_emerg"
##	[17]	"noquals"	"crime"
##	[19]	"pct_no_heating"	"pct_overcrowded"
##	[21]	"simd_2016_quintile"	"urban"

dim(sim) ## [1] 6976 22

3 Preliminary Analysis

Now that you have a preliminary idea of the structure of the dataset, you can select two variables and test a possible relationship. The topic today is bivariate linear regression analysis, so remember that the outcome variable needs to be continuous.

Let's say we want to look at the relationship between alcohol consumption and mortality rate (yes, not a very funny topic, but interesting nonetheless). The two variables are, respectively, alcohol and mortality (rather intuitive this time).

Now, formulate the working (alternative) and the null hypothesis. Write them down.

H₀:

 H_1 :

Which is your dependent variable?

Run a frequency table on the mortality variable. What is the level of measurement?

tak	le (s	sim\$1	mort	ality	')															
##																				
##	0	6	8	9	11	12	13	15	17	18	19	20	21	22	23	24	25	26	27	28
##	4	1	1	1	2	2	1	3	7	4	2	1	5	3	2	4	2	5	5	8
##	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48
##	3	9	7	7	12	8	17	10	7	25	16	18	31	26	23	23	21	28	28	36
##	49	50	51	52	53	54	55	56	57	58	59	60	61	62	63	64	65	66	67	68
##	33	43	37	39	51	54	46	49	46	57	67	59	61	73	70	71	80	67	85	57
##	69	70	71	72	73	74	75	76	77	78	79	80	81	82	83	84	85	86	87	88
##	87	64	71	86	76	84	97	88	70	70	79	74	84	81	83	68	68	74	98	70
##	89	90	91	92	93	94	95	96	97	98	99	100	101	102	103	104	105	106	107	108
##	81	74	84	77	77	76	85	72	63	74	56	63	66	72	62	71	59	82	64	60
##	109	110	111	112	113	114	115	116	117	118	119	120	121	122	123	124	125	126	127	128
##	61	63	52	62	61	47	66	53	53	42	44	47	54	46	59	52	43	39	40	45

129 130 131 132 133 134 135 136 137 138 139 140 141 142 143 144 145 146 147 148 $\#\!\!\#\!\!\#$ 48 37 39 40 28 21 40 38 39 37 31 25 34 28 26 30 31 17 23 31 ### 149 150 151 152 153 154 155 156 157 158 159 160 161 162 163 164 165 166 167 168 ## 22 21 21 11 20 22 19 25 18 21 21 18 25 17 13 16 17 15 9 8 ### 169 170 171 172 173 174 175 176 177 178 179 180 181 182 183 184 185 186 187 188 ## 7 5 3 11 9 7 10 11 11 12 11 12 13 12 98 6 7 9 8 ## 189 190 191 192 193 194 195 196 197 198 199 200 201 202 203 205 206 207 208 209 ## 4 6 6 7 7 3 11 4 7 9 10 1 5 2 2 5 10 6 1 1 ## 210 211 212 213 214 216 217 218 219 220 221 222 223 224 227 228 229 230 231 232 ## 2 3 3 1 2 3 2 1 1 5 4 3 1 3 2 1 1 3 3 1 ## 233 235 237 239 240 241 242 244 246 248 251 253 255 259 261 263 266 269 272 273 2 1 1 1 2 2 1 1 1 1 1 1 ## 1 1 3 2 2 5 1 2 ### 282 286 294 299 303 310 312 324 340 346 356 385 398 399 411 472 473 476 504 523 ## 2 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 ## 557 563 589 669 719 950 ## 1 1 1 1 1

class(sim\$mortality) ## [1] "integer"

Do the same for the other variable. And guess what is the level of measurement.

tab	le (sir	n\$alc	ohol)													
##																
##	0	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18
##	117	4	47	64	53	60	52	51	42	36	63	50	55	60	63	42
##	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34
##	51	57	64	60	54	58	63	68	54	82	56	41	65	80	70	54
##	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
##	62	54	61	58	54	47	43	45	49	31	54	46	60	55	34	44
##	51	52	53	54	55	56	57	58	59	60	61	62	63	64	65	66
##	44	53	40	47	39	37	41	32	52	40	49	35	42	35	39	30
##	67	68	69	70	71	72	73	74	75	76	77	78	79	80	81	82
##	39	39	51	34	36	45	35	42	30	35	40	38	40	35	29	28
##	83	84	85	86	87	88	89	90	91	92	93	94	95	96	97	98
##	43	24	31	30	26	39	31	32	29	26	28	29	28	38	25	31
##	99	100	101	102	103	104	105	106	107	108	109	110	111	112	113	114
##	27	21	18	27	23	13	31	22	31	37	23	23	21	23	23	20
##	115	116	117	118	119	120	121	122	123	124	125	126	127	128	129	130
##	25	29	28	17	21	28	26	19	20	26	17	17	25	28	19	16
##	131	132	133	134	135	136	137	138	139	140	141	142	143	144	145	146
##	19	20	22	21	13	21	16	9	25	18	12	11	14	16	19	16
##	147	148	149	150	151	152	153	154	155	156	157	158	159	160	161	162
##	13	13	23	15	16	14	17	19	19	13	17	16	9	15	12	18
##	163	164	165	166	167	168	169	170	171	172	173	174	175	176	177	178
##	8	12	9	16	8	12	10	16	11	12	16	9	11	13	8	7
##	179	180	181	182	183	184	185	186	187	188	189	190	191	192	193	194
##	9	6	16	15	13	5	7	17	8	10	9	11	10	9	21	9
##	195	196	197	198	199	200	201	202	203	204	205	206	207	208	209	210
##	13	15	15	6	6	4	10	13	14	11	7	11	10	11	8	14
##	211	212	213	214	215	216	217	218	219	220	221	222	223	224	225	226
##	6	9	9	12	10	8	4	5	6	13	10	6	6	5	3	9
##	227	228	229	230	231	232	233	234	235	236	237	238	239	240	241	242

##	6	5	8	6	8	5	4	8	6	8	9	8	6	8	4	3
##	243	244	245	246	247	248	249	250	251	252	253	254	255	256	257	258
##	6	8	11	4	6	4	9	7	9	11	3	11	5	8	2	10
##	259	260	261	262	263	264	265	266	267	268	269	270	271	272	273	274
##	6	6	9	2	8	5	4	5	5	3	5	1	5	7	3	6
##	275	276	277	278	279	280	282	283	284	285	286	287	288	289	290	291
##	3	7	2	5	7	2	2	6	6	4	2	3	5	3	3	1
##	292	293	294	295	296	297	298	299	301	302	303	304	306	307	308	309
##	5	4	1	7	2	6	6	4	4	1	1	1	5	2	3	1
##	310	312	313	314	315	316	317	318	319	320	321	322	324	325	326	327
##	3	1	1	2	1	3	1	2	3	2	1	2	1	4	2	1
##	329	330	331	333	334	335	336	337	338	339	340	342	343	344	345	346
##	2	2	4	2	2	2	1	1	3	3	3	2	5	1	1	1
##	347	348	349	350	351	353	354	355	356	357	358	359	360	361	362	363
##	2	3	3	3	2	2	1	2	2	2	1	1	3	2	2	3
##	364	365	366	367	369	371	372	373	374	375	376	377	379	380	381	382
##	3	1	4	1	1	4	5	2	2	1	1	2	1	1	5	1
##	384	385	386	390	391	392	393	395	396	397	398	400	402	403	404	405
##	1	2	1	2	1	4	1	1	1	2	1	2	2	4	1	1
##	406	408	409	416	417	418	419	421	423	424	426	428	429	430	432	433
##	2	1	2	1	1	2	1	1	1	1	1	1	1	2	3	1
##	438	441	442	443	444	445	447	448	449	450	451	453	454	455	458	460
##	2	1	1	1	4	1	1	3	1	2	1	1	1	2	1	2
##	462	463	466	469	470	472	474	480	482	484	485	488	491	492	493	494
##	1	1	1	1	1	1	1	1	2	1	2	1	1	1	2	1
##	501	504	505	506	511	513	514	516	521	526	528	529	531	533	538	539
##	2	1	1	1	1	2	1	1	1	2	1	2	1	1	1	2
##	541	542	543	545	549	550	552	553	557	558	564	568	574	584	600	619
##	1	1	1	1	1	1	1	2	1	1	1	1	1	1	1	1
##	629	635	636	646	652	670	675	694	699	715	754	766	769	795	845	889
##	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1
##	1703	2351														
##	1	1														

class(sim\$alcohol) ## [1] "integer"

4 Visualisation

Let's start with the visualisation of the relationship between the two variables. What is the best way to visualise the relationship considering the level of measurement of our variables?

Hint: Probably a scatterplot, right? So, use a scatterplot to visualise the relationship and add the regression line.

You can use ggplot, but also the standard plot() function.

```
ggplot(sim, aes(x = alcohol, y = mortality)) +
geom_smooth(method = lm, se=FALSE) +
geom_point()+
```

```
theme(
    panel.background = element_rect(fill='transparent'), #transparent panel bg
    plot.background = element_rect(fill='transparent', color=NA), #transparent plot bg
    panel.grid.major = element_blank(), #remove major gridlines
    panel.grid.minor = element_blank(), #remove minor gridlines
    legend.background = element_rect(fill='transparent'), #transparent legend bg
    legend.box.background = element_rect(fill='transparent') #transparent legend panel
```



Improve the graph by:

- 1. Adding a regression line.
- 2. Adding up a relevant title, also possibly a subtitle.
- 3. Adding axes labels and making them readable.
- 4. Remove the grid in the background.

```
legend.background = element_rect(fill='transparent'), #transparent legend bg
legend.box.background = element_rect(fill='transparent') #transparent legend panel
```



If you have done everything correctly, you should see that the dots are rather concentrated in the bottom left corner of the scatterplot with some outliers far away from the cloud of our data. It is not a big deal, but we might want to get rid of the outliers and this way improve our visualisation.

There are several ways to do that, of course. But let's say we want to transform our variables, excluding all values over a certain point. For instance, we want to exclude the values above 750 of our alcohol variable and above 500 for our mortality variable. How would you do that?

```
# Option 1 with tidyverse
simred <- filter(sim, alcohol<750 & mortality<500)
# Option 2 with base R
simred<-subset(sim,alcohol<750 & mortality<500)</pre>
```

Hint: there are several solutions. One could be, creating a new datset subsetting the original. Another solution could be again, creating a new variable telling R to transform all the values above our treshold in NA (missing values). Try to find an apply the appropriate code. Use Google if necessary, it helps a lot.

5 Visualisation 2.0

Now, visualise the relationship using the new variables. What can you see?

You can improve the scatterplot using a series of arguments (e.g., alpha) in the geom_point() function in ggplot. Try to improve the Aesthetics of the scatterplot playing with alpha, for instance. (see: https: //www.rdocumentation.org/packages/ggplot2/versions/3.4.0/topics/geom_point).

Also, you can draw a vertical and horizontal line corresponding to the mean of your variables using geom_hline and geom_vline. You can thus check if the regression line passes through the mean of X and Y. (see: https://www.rdocumentation.org/packages/ggplot2/versions/0.9.1/topics/geom_hline).

```
ggplot(simred, aes(alcohol, mortality)) +
  geom_point(position='jitter', alpha = 1/5) +
  xlab('Alcohol') +
  ylab('Mortality') +
  ggtitle ("Impact of Alcohol Consumption on Mortality Rate") +
  theme_classic() +
  geom_smooth (method = 'lm', se=T, colour = 'red', lwd=0.4)+
  geom_hline(yintercept = mean(simred$mortality, na.rm=TRUE), color='blue', lty='dashed',
      1wd = 0.4) +
  geom_vline(xintercept = mean(simred$alcohol,na.rm=TRUE), color='blue', lty='dashed', lwd
      =0.4)+
  theme(axis.text=element_text(size=12),
        axis.title=element_text(size=14,face="bold")) +
  theme(plot.title = element_text(size = 14, face = "bold"))+
  theme(
    panel.background = element_rect(fill='transparent'), #transparent panel bg
    plot.background = element_rect(fill='transparent', color=NA), #transparent plot bg
    panel.grid.major = element_blank(), #remove major gridlines
    panel.grid.minor = element_blank(), #remove minor gridlines
    legend.background = element_rect(fill='transparent'), #transparent legend bg
    legend.box.background = element_rect(fill='transparent') #transparent legend panel
```



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6 Saving the Scatterplot

You can also save a graph as .png, .JPG (even .pdf) that you can then import in a word document. Although there are many way to use your R output, saving a graph might be sometimes useful.

Use the function ggsave() to save your scatterplot. Again, there are tons of examples online, google it.

Hint: You first need to store the graph in an object.

Hint 2: The file will end up in your working directory

```
⋕ First, create an object ⋕
scatterplot<-ggplot(simred, aes(alcohol, mortality)) +</pre>
  geom_point(position='jitter', alpha = 1/5) +
  xlab('Alcohol') +
  ylab('Mortality') +
  ggtitle ("Impact of Alcohol Consumption on Mortality Rate") +
  theme_classic() +
  geom_smooth(method = 'Im', se=T, colour = 'red', Iwd=0.4)+
  geom_hline(yintercept = mean(simred$mortality, na.rm=TRUE), color='blue', lty='dashed',
      1wd = 0.4) +
  geom_vline(xintercept = mean(simred \$alcohol, na.rm=TRUE), color='blue', lty='dashed', lwd
      =0.4)+
  theme(axis.text=element_text(size=12),
        axis.title=element_text(size=14,face="bold")) +
  theme(plot.title = element_text(size = 14, face = "bold")) +
  theme(
    panel.background = element_rect(fill='transparent'), #transparent panel bg
    plot.background = element_rect(fill='transparent', color=NA), #transparent plot bg
    panel.grid.major = element_blank(), #remove major gridlines
    panel.grid.minor = element_blank(), #remove minor gridlines
    legend.background = element_rect(fill='transparent'), #transparent legend bg
    legend.box.background = element_rect(fill='transparent') #transparent legend panel
  )
\# Then save the file \#
save_plot("scatterplot_mortality.png", scatterplot)
```

7 | Regression Analysis (yes, finally)

Now we can finally run a linear regression with mortality as the outcome variable and alcohol as the predictor using the lm() function. Store the results in an object called model and visualise the regression output using summary(). Use the reduced data set without outliers.

```
# Store the results in an object called model #
model<--lm(mortality ~ alcohol, simred)
# Visualise the regression output using summary() #</pre>
```

```
summary (model)
##
## Call:
\#\!\# lm(formula = mortality \sim alcohol, data = simred)
##
## Residuals :
##
      Min 1Q Median
                          3Q
                                  Max
## -122.69 -22.52 -4.71 17.27 377.77
##
## Coefficients:
##
             Estimate Std. Error t value Pr(>|t|)
## alcohol 0.208270 0.004476 46.53 <2e-16 ***
## -----
### Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 35.61 on 6956 degrees of freedom
## Multiple R-squared: 0.2374, Adjusted R-squared: 0.2373
## F—statistic: 2165 on 1 and 6956 DF, p—value: < 2.2e—16
```

You can also extract specific blocks of the output table. One way of doing it is to use the brackets [] after the summary() function. For example summary()[8]. Try to extract the block of Coefficients from the table, like this:

```
summary(model)[4]

### $ coefficients

### Estimate Std. Error t value Pr(>|t|)

### (Intercept) 78.1551599 0.619648419 126.12823 0

### alcohol 0.2082697 0.004476011 46.53021 0
```

8 Interpretation

Interpret the results, starting with model evaluation.

- 1. Is the p-value of the F-statistics statistically significant? We will be discussing this in our following lectures.
- 2. How much variation in the outcome variable does the model explain? What does this tell us about the model?
- 3. What's the value of the slope? What does it mean?
- 4. What's the value of the regression coefficient? How do we interpret it? Is it statistically significant? What does it mean in practice?
- 5. Interpret the results (in plain language) referring to the hypothesis you formulated above.

9 Exporting the Results

As for the graphs, you can also export and save the results of the regression model in a Word table. To do that you can use the stargazer package. Try and export the table.

Hint 1: The function needs to contain, in order: the name of the R object where you stored the regression results, the option header=F to suppress the annoying immortalisation of the author, the option type="html", and the option out="documentname.doc" which places a word document with that file name in your working directory.

Hint 2: Remember that Google is your best friend when you learn to code. And after that as well. No one actually remembers all the functions and all their arguments. The secret is to know how to google the things you need.

Ta	ble	1
ıа	DIC	· •

	Dependent variable:
	mortality
alcohol	0.208***
	(0.004)
Constant	78.155***
	(0.620)
Observations	6,958
R^2	0.237
Adjusted R^2	0.237
Residual Std. Error	35.610 (df = 6956)
F Statistic	2,165.060*** (df = 1; 6956)
Note:	*p<0.1; **p<0.05; ***p<0.01

You can improve the table in many ways. For example, you need to replace the variable names with the variable labels, You could add a name of the model and suppress unneeded statistics (see https://www.rdocumentation.org/packages/stargazer/versions/5.2.3/topics/stargazer_stat_code_list).

Ta	ab	le	2

	Dependent variable:
	Mortality
Alcohol	0.208***
	(0.004)
Constant	78.155***
	(0.620)
Observations	6 958
R^2	0.237
Note:	*p<0.1; **p<0.05; ***p<0.01

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10 Comparing models

You can now run another regression model with a different independent variable. Can you compare your original model with the new one? How? How do you know which independent variable is doing a better job in explaining your dependent variable?